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Unpacking the Black-Box of Causality: Learning about Causal Mechanisms from Experimental and Observational Studies

#### Kosuke Imai

**Princeton University** 

June 1, 2012 Inter-American Development Bank 
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#### Project Reference

My talk is based on the collaborative project with L. Keele (Penn State), D. Tingley (Harvard), and T. Yamamoto (MIT)

- "Unpacking the Black Box of Causality: Learning about Causal Mechanisms from Experimental and Observational Studies." *American Political Science Review*
- "Identification, Inference, and Sensitivity Analysis for Causal Mediation Effects." *Statistical Science*
- "A General Approach to Causal Mediation Analysis." *Psychological Methods*
- "Experimental Designs for Identifying Causal Mechanisms." (with discussions) *Journal of the Royal Statistical Society, Series A*
- "Identification and Sensitivity Analysis for Multiple Causal Mechanisms: Revisiting Evidence from Framing Experiments."
- "Causal Mediation Analysis Using R." *Advances in Social Science Research Using R*

All methods can be implemented by our R package mediation

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## Identification of Causal Mechanisms

- Causal inference is a central goal of scientific research
- Scientists care about causal mechanisms, not just about causal effects
- Randomized experiments often only determine whether the treatment causes changes in the outcome
- Not how and why the treatment affects the outcome
- Common criticism of experiments and statistics:

black box view of causality

• Question: How can we learn about causal mechanisms from experimental and observational studies?



Present a general framework for statistical design and analysis of causal mechanisms

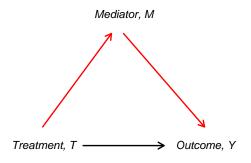
- Show that the sequential ignorability assumption is required to identify mechanisms even in experiments
- Offer a flexible estimation strategy under this assumption
- Propose a sensitivity analysis to probe this assumption
- Illustrate how to use the R package mediation
- Propose new experimental designs that do not rely on sequential ignorability
- Cover both experiments and observational studies under the same principle

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# What Is a Causal Mechanism?

- Mechanisms as alternative causal pathways
- Cochran (1957)'s example: soil fumigants increase farm crops by reducing eel-worms
- Causal mediation analysis



- Quantities of interest: Direct and indirect effects
- Fast growing methodological literature

# Potential Outcomes Framework

Framework: Potential outcomes model of causal inference

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- Binary treatment:  $T_i \in \{0, 1\}$
- Mediator:  $M_i \in \mathcal{M}$

Framework

- Outcome:  $Y_i \in \mathcal{Y}$
- Observed pre-treatment covariates:  $X_i \in \mathcal{X}$
- Potential mediators:  $M_i(t)$ , where  $M_i = M_i(T_i)$  observed
- Potential outcomes:  $Y_i(t, m)$ , where  $Y_i = Y_i(T_i, M_i(T_i))$  observed
- In a standard experiment, only one potential outcome can be observed for each *i*



#### Causal Mediation Effects

• Total causal effect:

$$\tau_i \equiv Y_i(1, M_i(1)) - Y_i(0, M_i(0))$$

#### • Causal mediation (Indirect) effects:

$$\delta_i(t) \equiv Y_i(t, M_i(1)) - Y_i(t, M_i(0))$$

- Causal effect of the change in *M<sub>i</sub>* on *Y<sub>i</sub>* that would be induced by treatment
- Change the mediator from M<sub>i</sub>(0) to M<sub>i</sub>(1) while holding the treatment constant at t
- Represents the mechanism through M<sub>i</sub>

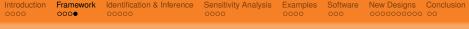
#### Total Effect = Indirect Effect + Direct Effect

• Direct effects:

$$\zeta_i(t) \equiv Y_i(1, M_i(t)) - Y_i(0, M_i(t))$$

- Causal effect of  $T_i$  on  $Y_i$ , holding mediator constant at its potential value that would realize when  $T_i = t$
- Change the treatment from 0 to 1 while holding the mediator constant at M<sub>i</sub>(t)
- Represents all mechanisms other than through M<sub>i</sub>
- Total effect = mediation (indirect) effect + direct effect:

$$\tau_i = \delta_i(t) + \zeta_i(1-t) = \frac{1}{2} \{ \delta_i(0) + \delta_i(1) + \zeta_i(0) + \zeta_i(1) \}$$



## Mechanisms, Manipulations, and Interactions

#### Mechanisms

- Indirect effects:  $\delta_i(t) \equiv Y_i(t, M_i(1)) Y_i(t, M_i(0))$
- Counterfactuals about treatment-induced mediator values

#### Manipulations

- Controlled direct effects:  $\xi_i(t, m, m') \equiv Y_i(t, m) Y_i(t, m')$
- Causal effect of directly manipulating the mediator under  $T_i = t$

#### Interactions

- Interaction effects:  $\xi(1, m, m') \xi(0, m, m') \neq 0$
- Doesn't imply the existence of a mechanism

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#### What Does the Observed Data Tell Us?

Quantity of Interest: Average causal mediation effects

$$\overline{\delta}(t) \equiv \mathbb{E}(\delta_i(t)) = \mathbb{E}\{Y_i(t, M_i(1)) - Y_i(t, M_i(0))\}$$

- Average direct effects  $(\bar{\zeta}(t))$  are defined similarly
- Problem: Y<sub>i</sub>(t, M<sub>i</sub>(t)) is observed but Y<sub>i</sub>(t, M<sub>i</sub>(t')) can never be observed
- We have an identification problem
- $\implies$  Need additional assumptions to make progress

## Identification under Sequential Ignorability

Identification & Inference

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Framework

• Proposed identification assumption: Sequential Ignorability

Sensitivity Analysis

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$$\{Y_i(t',m),M_i(t)\} \perp T_i \mid X_i = x, \qquad (1)$$

$$Y_i(t',m) \perp M_i(t) \mid T_i = t, X_i = x$$
 (2)

- (1) is guaranteed to hold in a standard experiment
- (2) does **not** hold unless X<sub>i</sub> includes all confounders
- No unmeasured pre-treatment confounder
- No measured or unmeasured *post-treatment* confounder: No "causally dependent" multiple mediators (more later)
- Under sequential ignorability, both ACME and average direct effects are nonparametrically identified (= consistently estimated from observed data)

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#### Nonparametric Identification

**Theorem:** Under SI, both ACME and average direct effects are given by,

• ACME  $\bar{\delta}(t)$ 

$$\int \int \mathbb{E}(Y_i \mid M_i, T_i = t, X_i) \{ dP(M_i \mid T_i = 1, X_i) - dP(M_i \mid T_i = 0, X_i) \} dP(X_i)$$

• Average direct effects  $\bar{\zeta}(t)$ 

$$\int \int \left\{ \mathbb{E}(Y_i \mid M_i, T_i = 1, X_i) - \mathbb{E}(Y_i \mid M_i, T_i = 0, X_i) \right\} dP(M_i \mid T_i = t, X_i) dP(X_i)$$

# Traditional Estimation Method

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Framework

• Linear structural equation model (LSEM):

$$\begin{aligned} \mathbf{M}_i &= \alpha_2 + \beta_2 \mathbf{T}_i + \boldsymbol{\xi}_2^\top \mathbf{X}_i + \boldsymbol{\epsilon}_{i2}, \\ \mathbf{Y}_i &= \alpha_3 + \beta_3 \mathbf{T}_i + \gamma \mathbf{M}_i + \boldsymbol{\xi}_3^\top \mathbf{X}_i + \boldsymbol{\epsilon}_{i3}. \end{aligned}$$

Sensitivity Analysis

New Designs Conclusion

- Fit two least squares regressions separately
- Use product of coefficients (β<sub>2</sub>γ̂) to estimate ACME
- Use asymptotic variance to test significance (Sobel test)
- Under SI and the no-interaction assumption  $(\bar{\delta}(1) \neq \bar{\delta}(0))$ ,  $\hat{\beta}_2 \hat{\gamma}$  consistently estimates ACME
- Can be extended to LSEM with interaction terms
- Problem: Only valid for the simplest LSEM

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## Proposed General Estimation Algorithm

- Model outcome and mediator
  - Outcome model:  $p(Y_i | T_i, M_i, X_i)$
  - Mediator model:  $p(M_i | T_i, X_i)$
  - These models can be of any form (linear or nonlinear, semior nonparametric, with or without interactions)
- **2** Predict mediator for both treatment values  $(M_i(1), M_i(0))$
- Predict outcome by first setting  $T_i = 1$  and  $M_i = M_i(0)$ , and then  $T_i = 1$  and  $M_i = M_i(1)$
- Compute the average difference between two outcomes to obtain a consistent estimate of ACME
- Monte-Carlo or bootstrapping to estimate uncertainty

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# Need for Sensitivity Analysis

- Standard experiments require sequential ignorability to identify mechanisms
- The sequential ignorability assumption is often too strong
- Need to assess the robustness of findings via sensitivity analysis
- Question: How large a departure from the key assumption must occur for the conclusions to no longer hold?
- Parametric sensitivity analysis by assuming

$$\{Y_i(t',m),M_i(t)\}\perp\!\!\!\perp T_i\mid X_i=x$$

but not

$$Y_i(t', m) \perp M_i(t) \mid T_i = t, X_i = x$$

 Possible existence of unobserved pre-treatment confounder Introduction Framework Identification & Inference 0000 Solution 0000 Sol

## Parametric Sensitivity Analysis

- Sensitivity parameter:  $\rho \equiv Corr(\epsilon_{i2}, \epsilon_{i3})$
- Sequential ignorability implies  $\rho = 0$

Result:

$$\overline{\delta}(\mathbf{0}) = \overline{\delta}(\mathbf{1}) = \frac{\beta_2 \sigma_1}{\sigma_2} \left\{ \widetilde{\rho} - \rho \sqrt{(1 - \widetilde{\rho}^2)/(1 - \rho^2)} \right\},$$

where  $\sigma_j^2 \equiv \operatorname{var}(\epsilon_{ij})$  for j = 1, 2 and  $\tilde{\rho} \equiv \operatorname{Corr}(\epsilon_{i1}, \epsilon_{i2})$ .

- When do my results go away completely?
- $\bar{\delta}(t) = 0$  if and only if  $\rho = \tilde{\rho}$
- Easy to estimate from the regression of *Y<sub>i</sub>* on *T<sub>i</sub>*:

$$Y_i = \alpha_1 + \beta_1 T_i + \epsilon_{i1}$$

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## Interpreting Sensitivity Analysis with R squares

- Interpreting  $\rho$ : how small is too small?
- An unobserved (pre-treatment) confounder formulation:

$$\epsilon_{i2} = \lambda_2 U_i + \epsilon'_{i2}$$
 and  $\epsilon_{i3} = \lambda_3 U_i + \epsilon'_{i3}$ 

- How much does U<sub>i</sub> have to explain for our results to go awav?
- Sensitivity parameters: R squares
  - Proportion of previously unexplained variance explained by Ui

$$\mathcal{R}_{M}^{2*} \equiv 1 - rac{\operatorname{var}(\epsilon'_{i2})}{\operatorname{var}(\epsilon_{i2})}$$
 and  $\mathcal{R}_{Y}^{2*} \equiv 1 - rac{\operatorname{var}(\epsilon'_{i3})}{\operatorname{var}(\epsilon_{i3})}$ 

- 2 Proportion of original variance explained by  $U_i$

$$\widetilde{R}_{M}^{2} \equiv \frac{\operatorname{var}(\epsilon_{i2}) - \operatorname{var}(\epsilon_{i2}')}{\operatorname{var}(M_{i})} \quad \text{and} \quad \widetilde{R}_{Y}^{2} \equiv \frac{\operatorname{var}(\epsilon_{i3}) - \operatorname{var}(\epsilon_{i3}')}{\operatorname{var}(Y_{i})}$$

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• Then reparameterize  $\rho$  using  $(R_M^{2*}, R_Y^{2*})$  (or  $(\tilde{R}_M^2, \tilde{R}_Y^2)$ ):

$$\rho = \operatorname{sgn}(\lambda_2 \lambda_3) R_M^* R_Y^* = \frac{\operatorname{sgn}(\lambda_2 \lambda_3) \widetilde{R}_M \widetilde{R}_Y}{\sqrt{(1 - R_M^2)(1 - R_Y^2)}},$$

where  $R_M^2$  and  $R_Y^2$  are from the original mediator and outcome models

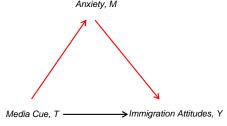
- sgn(λ<sub>2</sub>λ<sub>3</sub>) indicates the direction of the effects of U<sub>i</sub> on Y<sub>i</sub> and M<sub>i</sub>
- Set  $(R_M^{2*}, R_Y^{2*})$  (or  $(\tilde{R}_M^2, \tilde{R}_Y^2)$ ) to different values and see how mediation effects change

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# Example: Anxiety, Group Cues and Immigration

Brader, Valentino & Suhat (2008, AJPS)

- How and why do ethnic cues affect immigration attitudes?
- Theory: Anxiety transmits the effect of cues on attitudes



- ACME = Average difference in immigration attitudes due to the change in anxiety induced by the media cue treatment
- Sequential ignorability = No unobserved covariate affecting both anxiety and immigration attitudes

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Reanalysis: Estimates under Sequential Ignorability

• Original method: Product of coefficients with the Sobel test

— Valid only when both models are linear w/o T-M interaction (which they are not)

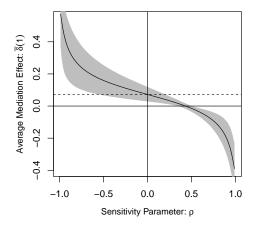
• Our method: Calculate ACME using our general algorithm

Outcome variables	Product of Coefficients	Average Causal Mediation Effect ( $\delta$ )
Decrease Immigration	.347	.105
$\overline{\delta}(1)$	[0.146, 0.548]	[0.048, 0.170]
Support English Ónly Laws	.204	.074
$\bar{\delta}(1)$	[0.069, 0.339]	[0.027, 0.132]
Request Anti-Immigration Information	277 <sup>1</sup>	.029
$\bar{\delta}(1)$	[0.084, 0.469]	[0.007, 0.063]
Send Anti-Immigration Message	276	.086
$\bar{\delta}(1)$	$[0.102, \ 0.450]$	[0.035, 0.144]

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#### Reanalysis: Sensitivity Analysis w.r.t. $\rho$



 ACME > 0 as long as the error correlation is less than 0.39 (0.30 with 95% CI)

# Reanalysis: Sensitivity Analysis w.r.t. $\tilde{R}_M^2$ and $\tilde{R}_Y^2$

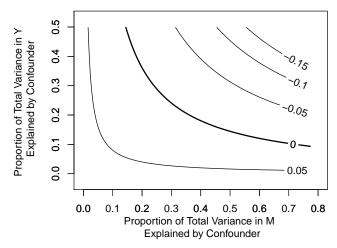
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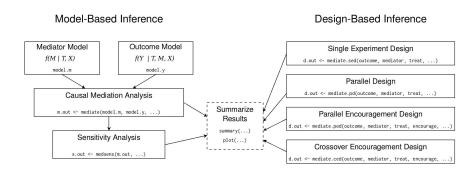
**New Designs** 

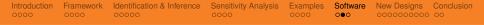
Identification & Inference



 An unobserved confounder can account for up to 26.5% of the variation in both Y<sub>i</sub> and M<sub>i</sub> before ACME becomes zero 

#### Overview of **R** Package mediation





Fit models for the mediator and outcome variable and store these models.

> m <- lm(Mediator ~ Treat + X)

> y <- lm(Y ~ Treat + Mediator + X)

Mediation analysis: Feed model objects into the mediate() function. Call a summary of results.

```
> summary(m.out)
```

Sensitivity analysis: Feed the output into the medsens () function. Summarize and plot.

- > s.out <- medsens(m.out)</pre>
- > summary(s.out)
- > plot(s.out, "rho")
- > plot(s.out, "R2")

#### Experimental designs and analysis are forthcoming

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#### Data Types Available via mediate() (For Now)

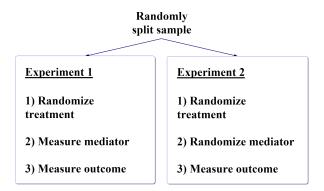
	Outcome Model						
Mediator Model	Linear	GLM	Ordered	Censored	Quantile	GAM	Survival
Linear	$\checkmark$	$\checkmark$	√*	$\checkmark$	$\checkmark$	√*	$\checkmark$
GLM	$\checkmark$	$\checkmark$	√*	$\checkmark$	$\checkmark$	√*	$\checkmark$
Ordered	$\checkmark$	$\checkmark$	√*	$\checkmark$	$\checkmark$	√*	$\checkmark$
Censored	-	-	-	-	-	-	-
Quantile	√*	√*	√*	√*	√*	√*	$\checkmark$
GAM	√*	√*	√*	√*	√*	√*	√*
Survival	$\checkmark$	$\checkmark$	√*	$\checkmark$	$\checkmark$	$\checkmark^*$	$\checkmark$

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## **Beyond Sequential Ignorability**

- Without sequential ignorability, standard experimental design lacks identification power
- Even the sign of ACME is not identified
- Need to develop alternative experimental designs for more credible inference
- Possible when the mediator can be directly or indirectly manipulated





- "Causal chain" (Spencer *et al.*), "Mechanism experiments" (Ludwig *et al.*)
- Must assume no direct effect of manipulation on outcome
- More informative than standard single experiment
- If we assume no *T*-*M* interaction, ACME is point identified

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#### Example from Behavioral Neuroscience

Why study brain?: Social scientists' search for causal mechanisms underlying human behavior

• Psychologists, economists, and even political scientists

**Question**: What mechanism links low offers in an ultimatum game with "irrational" rejections?

 A brain region known to be related to fairness becomes more active when unfair offer received (single experiment design)

Design solution: manipulate mechanisms with TMS

 Knoch et al. use TMS to manipulate — turn off — one of these regions, and then observes choices (parallel design)

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Limita	ations					

Difference between manipulation and mechanism

Prop.	$M_{i}(1)$	$M_{i}(0)$	$Y_{i}(t, 1)$	$Y_{i}(t, 0)$	$\delta_i(t)$
0.3	1	0	0	1	-1
0.3	0	0	1	0	0
0.1	0	1	0	1	1
0.3	1	1	1	0	0

• Here,  $\mathbb{E}(M_i(1) - M_i(0)) = \mathbb{E}(Y_i(t, 1) - Y_i(t, 0)) = 0.2$ , but  $\bar{\delta}(t) = -0.2$ 

- Limitations:
  - Direct manipulation of the mediator is often impossible
  - Even if possible, manipulation can directly affect outcome
- Need to allow for subtle and indirect manipulations



### **Encouragement Design**

- Randomly encourage subjects to take particular values of the mediator *M<sub>i</sub>*
- Standard instrumental variable assumptions (Angrist et al.)
- Use a  $2 \times 3$  factorial design:
  - Randomly assign T<sub>i</sub>
  - Also randomly decide whether to positively encourage, negatively encourage, or do nothing
  - Measure mediator and outcome
    - Informative inference about the "complier" ACME
    - Reduces to the parallel design if encouragement is perfect
    - Application to the immigration experiment: Use autobiographical writing tasks to encourage anxiety



- Recall ACME can be identified if we observe  $Y_i(t', M_i(t))$
- Get  $M_i(t)$ , then switch  $T_i$  to t' while holding  $M_i = M_i(t)$

#### • Crossover design:

- Round 1: Conduct a standard experiment
- Round 2: Change the treatment to the opposite status but fix the mediator to the value observed in the first round
- Very powerful identifies mediation effects for each subject
- Must assume no carryover effect: Round 1 must not affect Round 2
- Can be made plausible by design

# Example from Labor Economics

Framework

Bertrand & Mullainathan (2004, AER)

- Treatment: Black vs. White names on CVs
- Mediator: Perceived qualifications of applicants

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- Outcome: Callback from employers
- Quantity of interest: Direct effects of (perceived) race
- Would Jamal get a callback if his name were Greg but his qualifications stayed the same?
- Round 1: Send Jamal's actual CV and record the outcome
- Round 2: Send his CV as Greg and record the outcome
- Assumptions are plausible

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## Crossover Encouragement Design

Crossover encouragement design:



- Round 1: Conduct a standard experiment
- Round 2: Same as crossover, except encourage subjects to take the mediator values

EXAMPLE Hainmueller & Hiscox (2010, APSR)

- Treatment: Framing immigrants as low or high skilled
- Outcome: Preferences over immigration policy
- Possible mechanism: Low income subjects may expect higher competition from low skill immigrants
- Manipulate expectation using a news story
- Round 1: Original experiment but measure expectation
- Round 2: Flip treatment, but encourage expectation in the same direction as Round 1

Designing Observational Studies

• Key difference between experimental and observational studies: treatment assignment

Software

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• Sequential ignorability:

Framework

- Ignorability of treatment given covariates
- Ignorability of mediator given treatment and covariates
- Both (1) and (2) are suspect in observational studies
- Statistical control: matching, propensity scores, etc.
- Search for quasi-randomized treatments: "natural" experiments
- How can we design observational studies?
- Experiments can serve as templates for observational studies

Example from Political Science

Framework

#### EXAMPLE Incumbency advantage

Estimation of incumbency advantages goes back to 1960s

New Designs Conclusion

- Why incumbency advantage? Scaring off quality challenger
- Use of cross-over design (Levitt and Wolfram)

Identification & Inference Sensitivity Analysis

- 1st Round: two non-incumbents in an open seat
- 2nd Round: same candidates with one being an incumbent
- Assume challenger quality (mediator) stays the same
- Estimation of direct effect is possible
- Redistricting as natural experiments (Ansolabehere et al.)
  - 1st Round: incumbent in the old part of the district
  - 2nd Round: incumbent in the new part of the district
- Challenger quality is the same but treatment is different
- Estimation of direct effect is possible

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## **Concluding Remarks**

- Even in a randomized experiment, a strong assumption is needed to identify causal mechanisms
- However, progress can be made toward this fundamental goal of scientific research with modern statistical tools
- A general, flexible estimation method is available once we assume sequential ignorability
- Sequential ignorability can be probed via sensitivity analysis
- More credible inferences are possible using clever experimental designs
- Insights from new experimental designs can be directly applied when designing observational studies

Introduction	Framework	Identification & Inference	Sensitivity Analysis	Examples	Software	New Designs	Conclusion
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The project website for papers and software:

http://imai.princeton.edu/projects/mechanisms.html

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